

Fig. 1

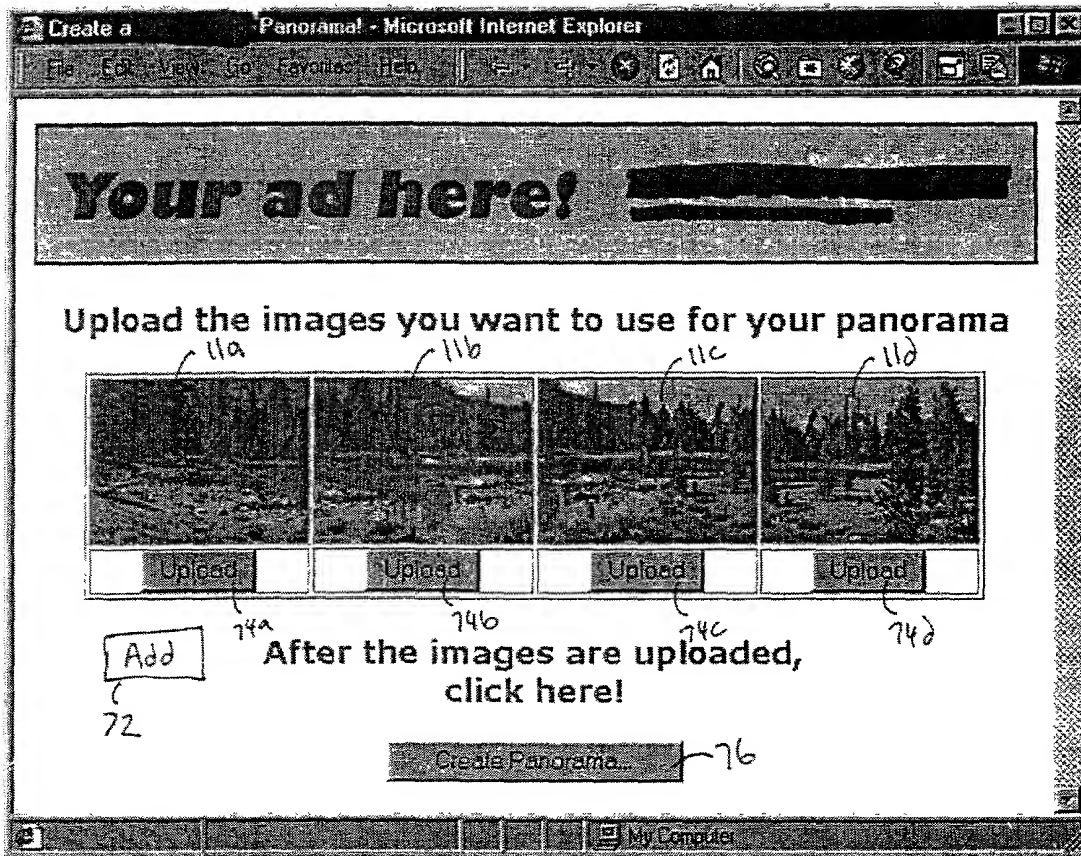


Fig. 2A

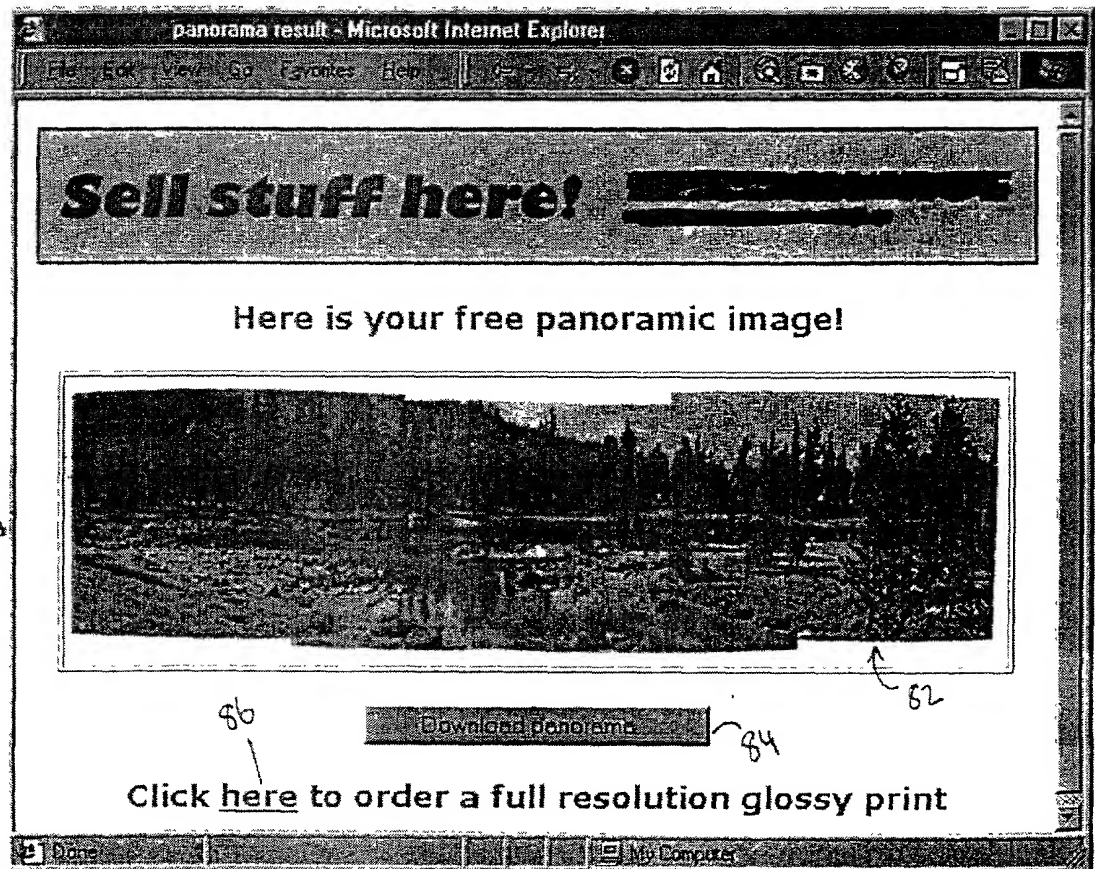


Fig. 2B

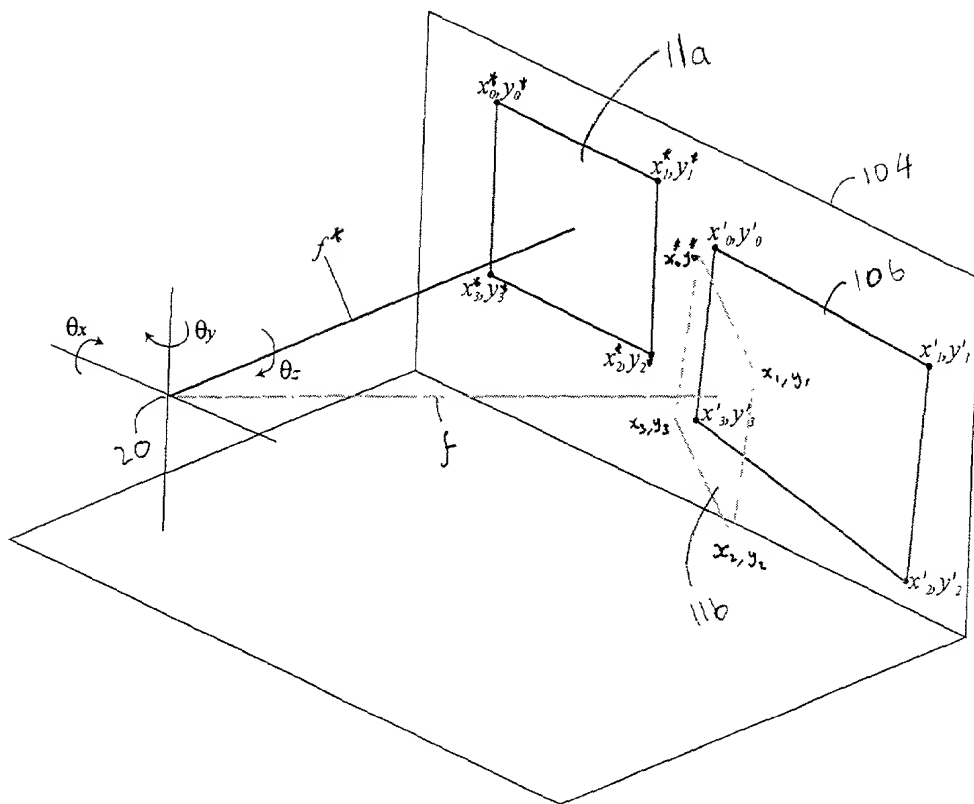


Fig. 3

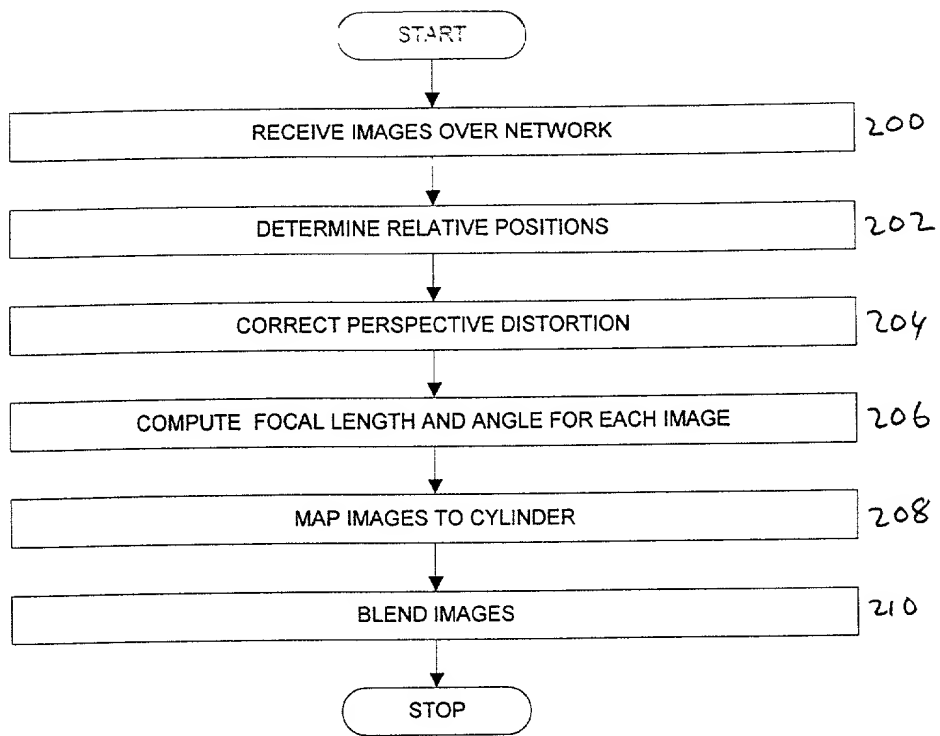


Fig. 4

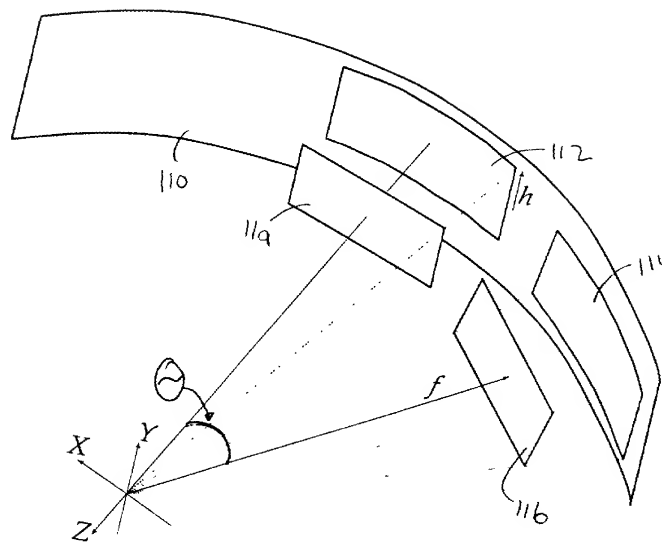


Fig. 5A

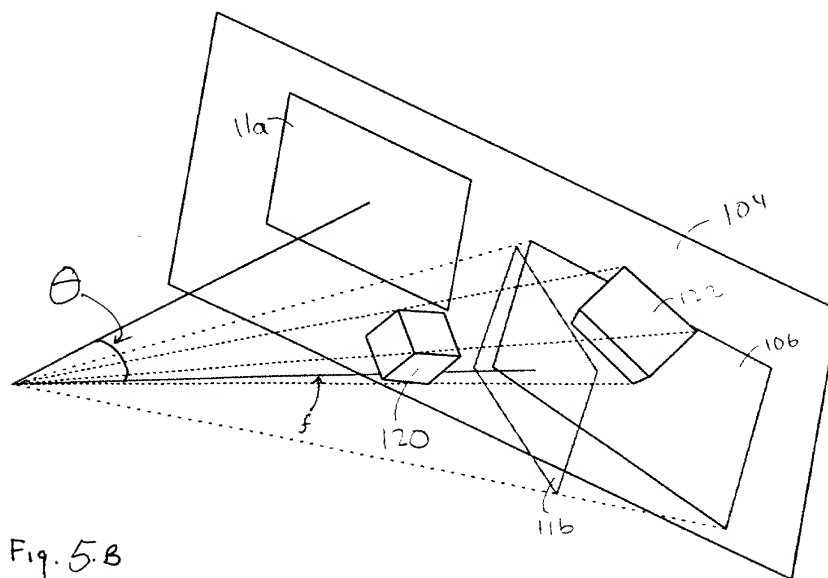


Fig. 5B

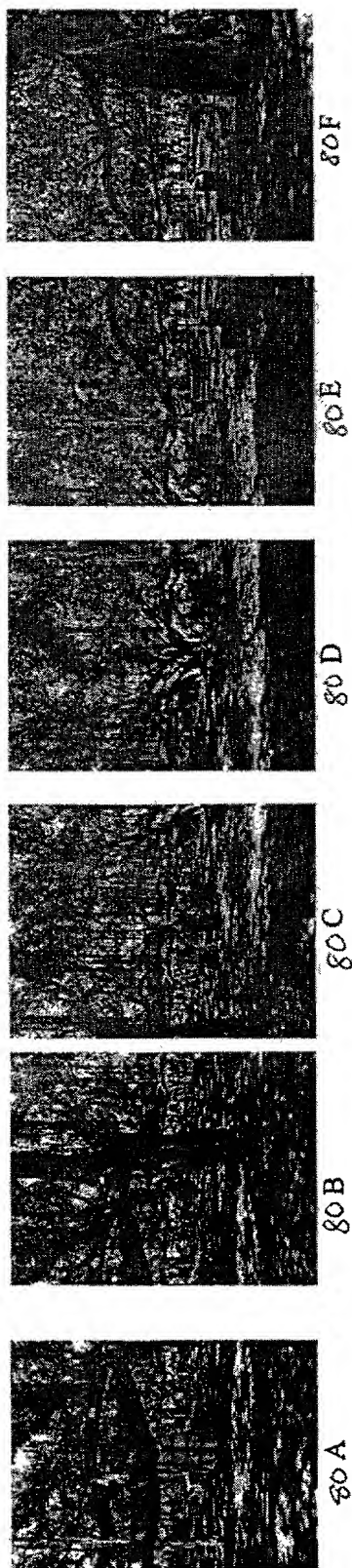
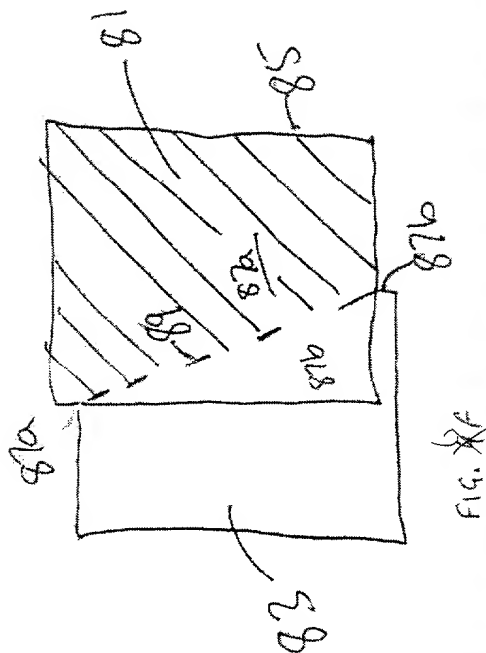
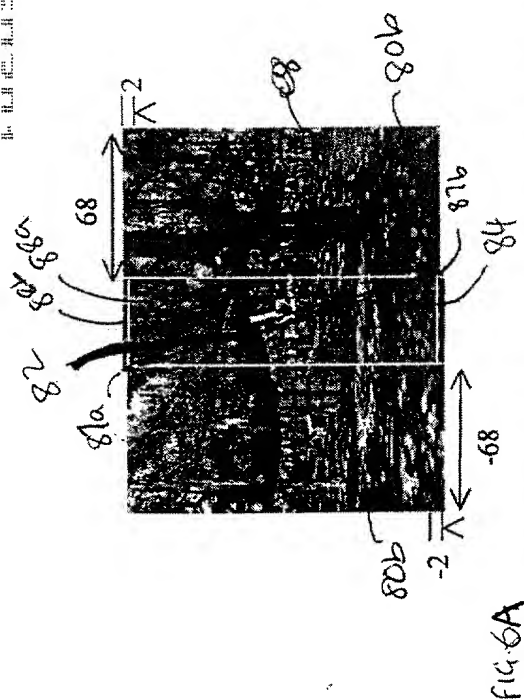


fig. 68

Adjacent Lists

$\delta 6A$	$\delta 6B$	$\delta 6C$	$\delta 6D$	$\delta 6E$	$\delta 6F$
B: 68, 2	A: -68, -2 C: 69, 4	B: -69, -4 D: 66, -1	C: -66, -1 E: 66, -1	D: -66, 1 E: 67, -2	E: -67, 2

A vertical strip of five black and white photographs showing a ship's wake from different angles. The photos are labeled 90A, 90B, 90C, 90D, and 90E from bottom to top. Each photo shows a different perspective of the ship's wake, with varying degrees of detail and lighting. The labels are positioned to the right of each corresponding photo.

Select C as "base"
Align B, D to C
Align A to B and E to D

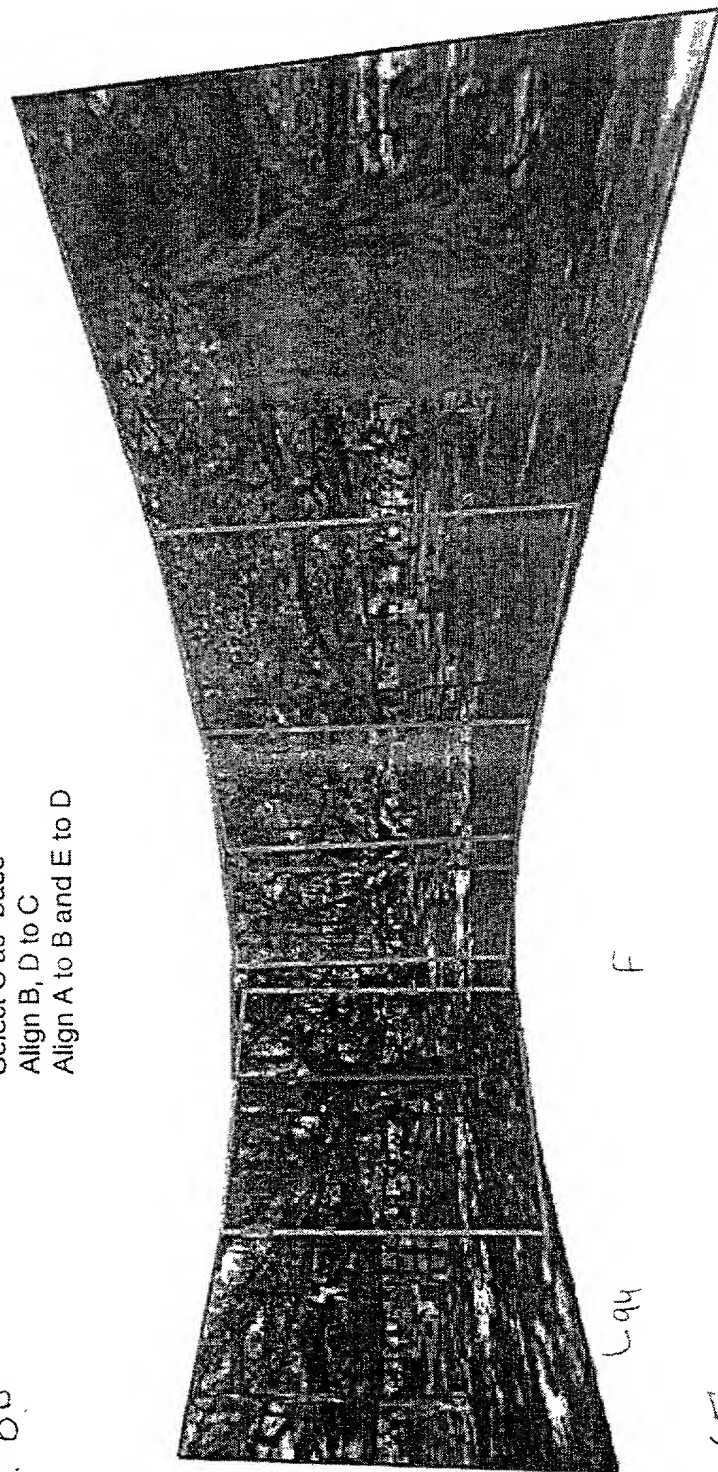


FIG. 6E

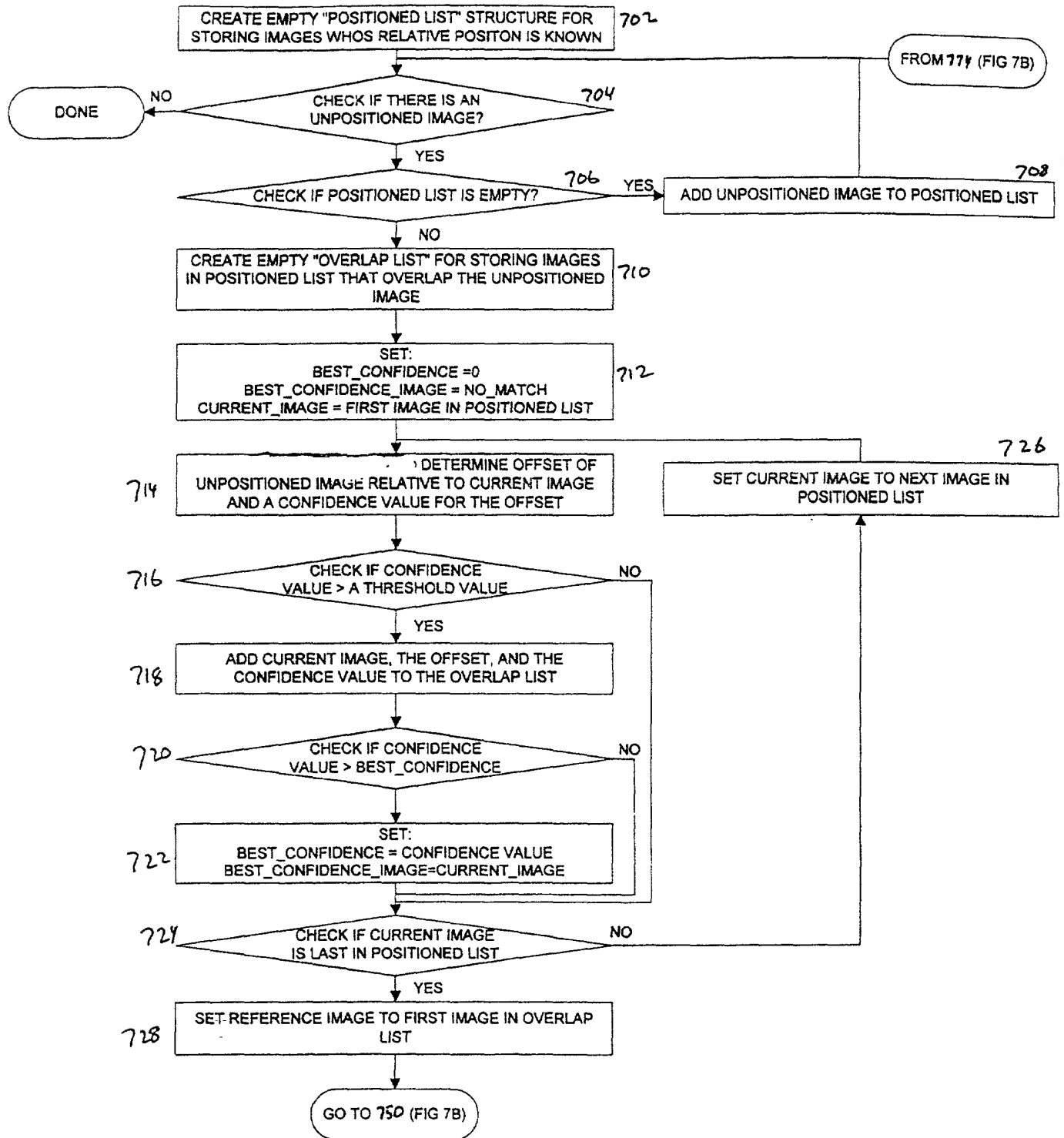


Fig. 7A

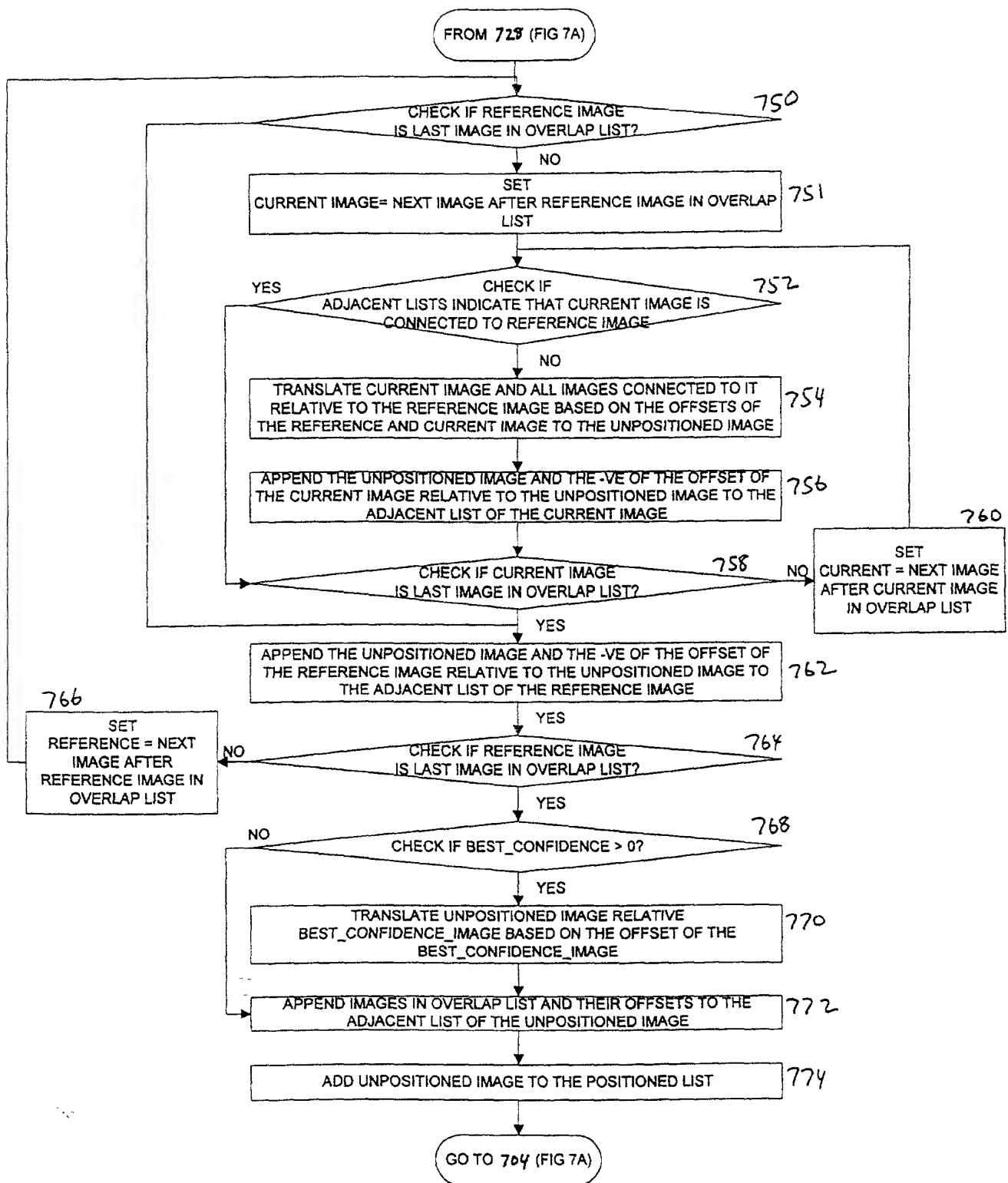


Fig. 76

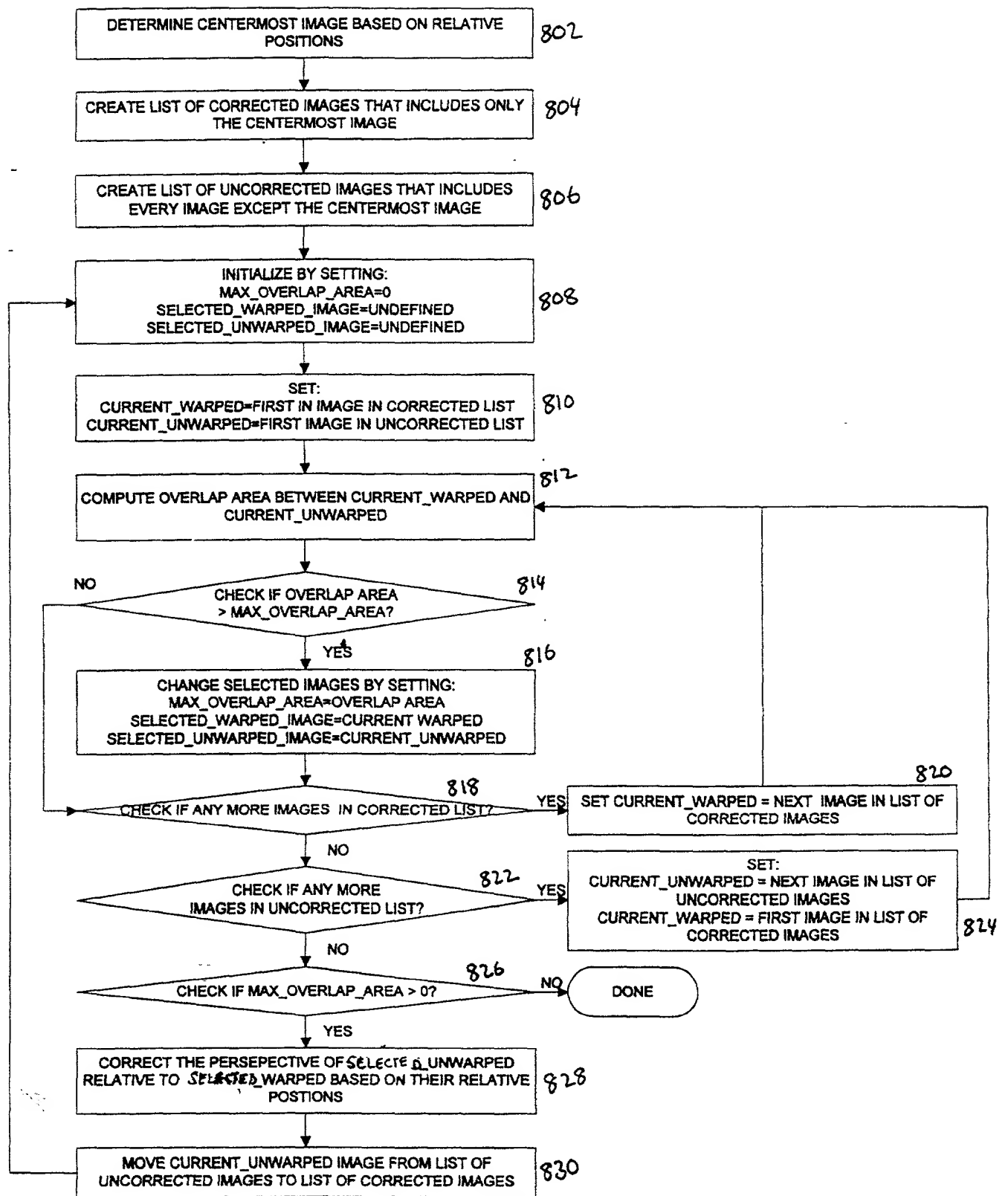


Fig. 8

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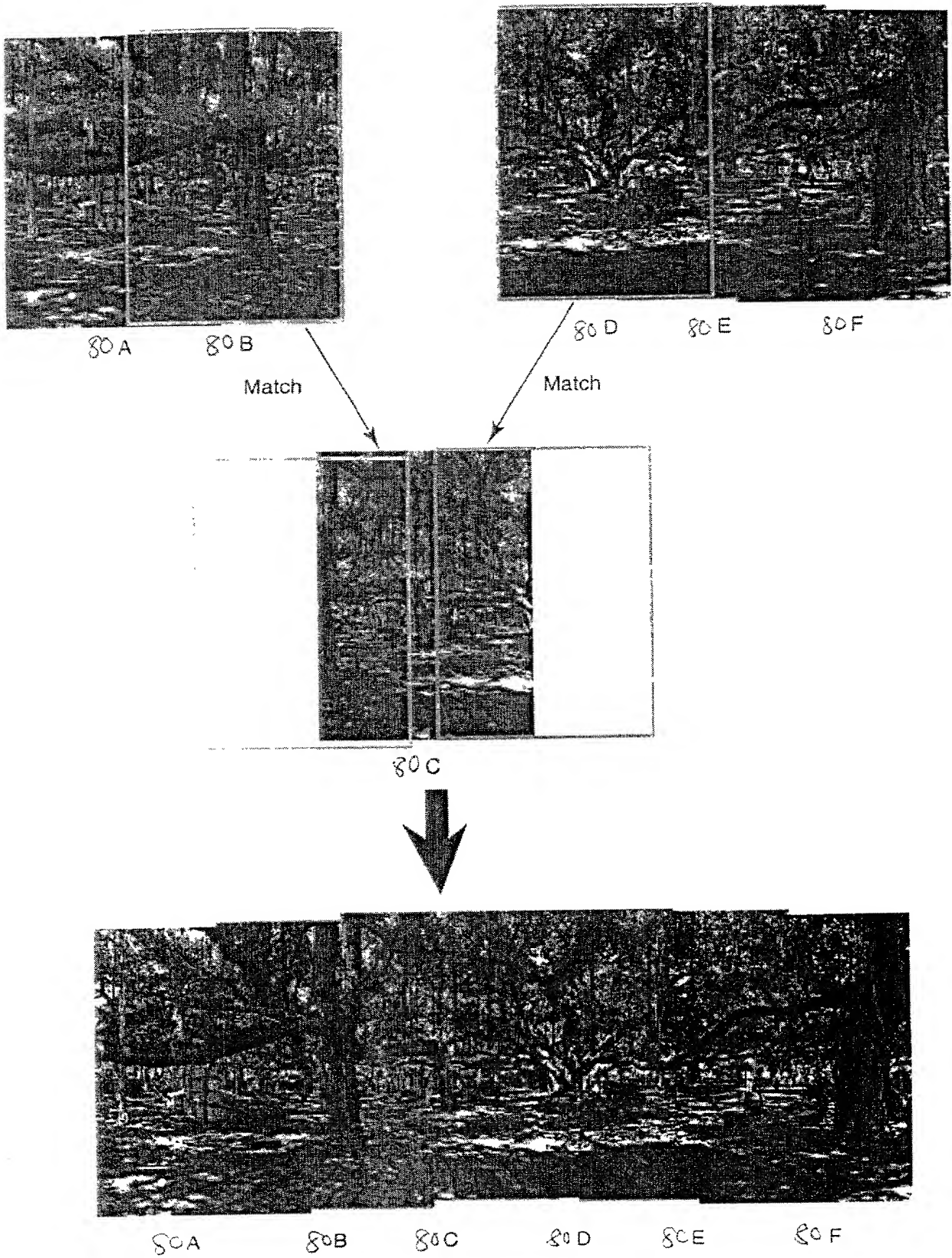


FIG. 9

Original Image

	2-D coordinates	4-D coordinates
Vertex 0	(x_0, y_0)	$(x_0, y_0, 0, 1)$
Vertex 1	(x_1, y_1)	$(x_1, y_1, 0, 1)$
Vertex 2	(x_2, y_2)	$(x_2, y_2, 0, 1)$
Vertex 3	(x_3, y_3)	$(x_3, y_3, 0, 1)$
The i^{th} vertex	(x_i, y_i)	$(x_i, y_i, 0, 1)$

30 132

Fig. 10 A

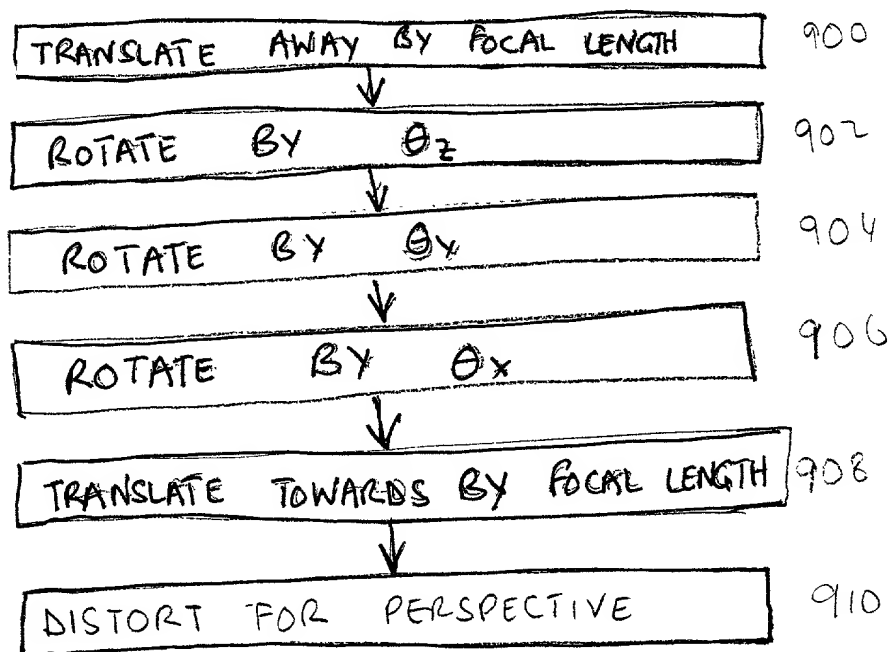


Fig. 10 B

Perspective Correction Transformations

1. Translate outwards:

$$T_a = \begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 0 & f & 1 \end{bmatrix} \quad \text{--- 136}$$

2. Three rotations:

$$\Theta_x = \begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & \cos \theta_x & \sin \theta_x & 0 \\ 0 & -\sin \theta_x & \cos \theta_x & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix} \quad \text{--- 140} \quad \Theta_y = \begin{bmatrix} \cos \theta_y & 0 & -\sin \theta_y & 0 \\ 0 & 1 & 0 & 0 \\ \sin \theta_y & 0 & \cos \theta_y & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix} \quad \text{--- 142}$$

$$\Theta_z = \begin{bmatrix} \cos \theta_z & \sin \theta_z & 0 & 0 \\ -\sin \theta_z & \cos \theta_z & 0 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix} \quad \text{--- 138}$$

3. Translate inwards:

$$T_b = \begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 0 & -f & 1 \end{bmatrix} \quad \text{--- 144}$$

4. Effect of focal length on Perspective:

$$P = \begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 1/f \\ 0 & 0 & 0 & 1 \end{bmatrix} \quad \text{--- 146}$$

Fig. 10C

Perspective Correction

Perspective Corrected Image Vertices given by:

$$\hat{p}_i = p_i T_a \Theta_z \Theta_y \Theta_x T_b P = [\hat{x}_i, \hat{y}_i, \hat{z}_i, \hat{w}_i] \quad \text{--- 150}$$

But:

↓
152

$$\hat{w}_i = -\frac{x_i}{f}(-\sin \theta_z \sin \theta_x + \cos \theta_z \sin \theta_y \cos \theta_x) + \frac{y_i}{f}(\cos \theta_z \sin \theta_x + \sin \theta_z \sin \theta_y \cos \theta_x) + \cos \theta_y \cos \theta_x \quad \text{--- 152}$$

and x_i' and y_i' from the perspective corrected image are given by:

$$x_i' = \hat{x}_i / \hat{w}_i \quad \text{and} \quad y_i' = \hat{y}_i / \hat{w}_i \quad \text{--- 154, 156}$$

Therefore we can write:

$$F_{x_i}(\theta_z, \theta_y, \theta_x, f) - x_i' = 0 \quad \text{--- 158}$$

Taking:

$$t = [\theta_x \quad \theta_y \quad \theta_z \quad f] \quad \text{--- 160}$$

We can write:

$$-\mathbf{F}(t) = \begin{bmatrix} x_o - F_{x_o}(\theta_z, \theta_y, \theta_x, f) \\ y_o - F_{y_o}(\theta_z, \theta_y, \theta_x, f) \\ \vdots \\ x_i - F_{x_i}(\theta_z, \theta_y, \theta_x, f) \\ y_i - F_{y_i}(\theta_z, \theta_y, \theta_x, f) \end{bmatrix} \quad \text{--- 162}$$

Fig. 10D

Newton's Method

By Newton's method of numerical computation, \mathbf{t} is an estimate of the values

$$[\theta_x \quad \theta_y \quad \theta_z \quad f]$$

then:

$$t_{new} = t - J^{-1}F(t) \quad \text{--- 166}$$

is a better estimate of the values.

Where J^{-1} is the matrix of partial derivatives:

$$J_{i,j} = \frac{\partial F_i}{\partial t_j} \quad \text{--- 164}$$

Fig. 10E

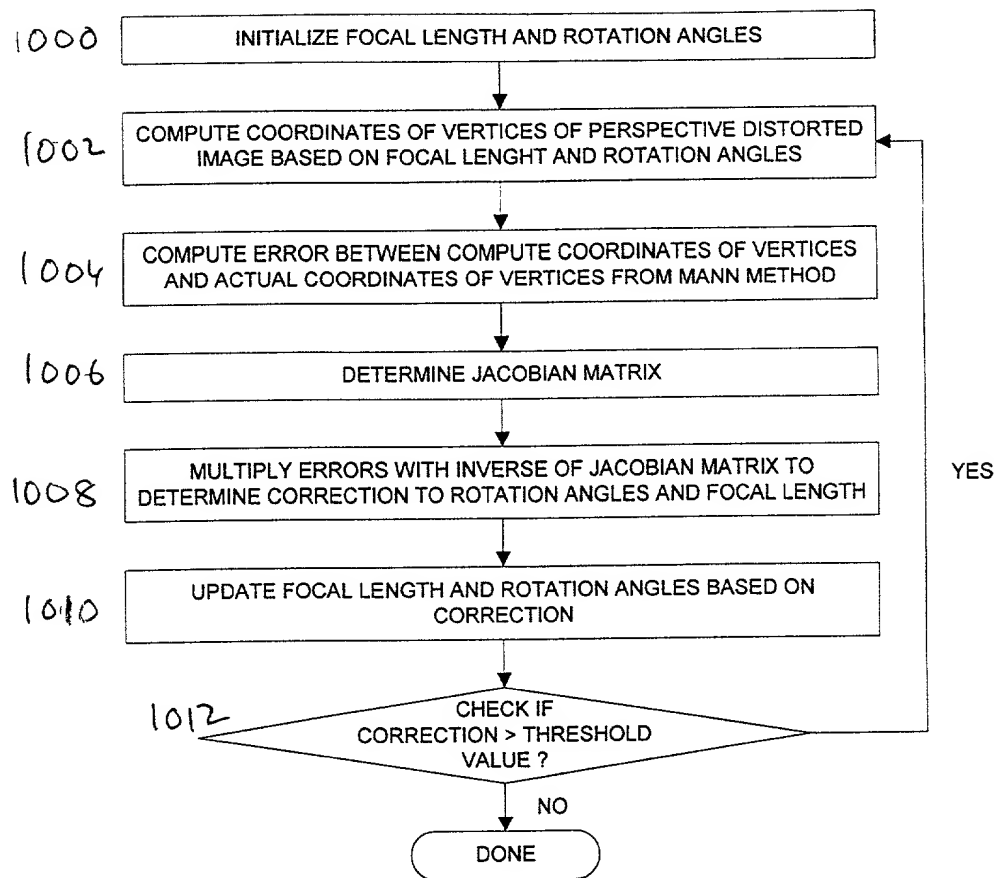


Fig. 11

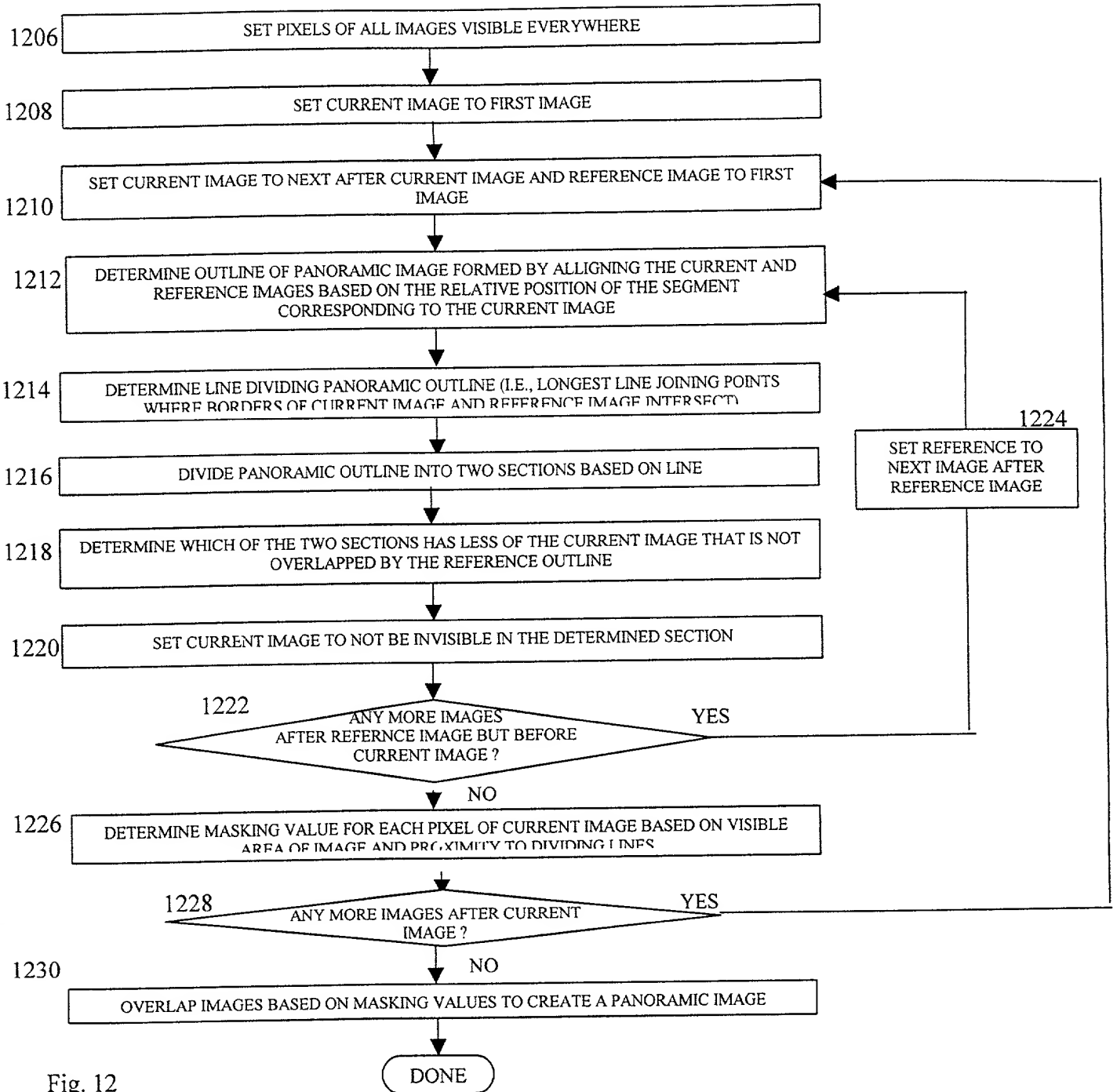


Fig. 12